

Question: What is momentum?

- It's like a force that starts movement
- force that keeps obj. moving after F_A stops
- increased force due to acceleration
- increased or decreased on slopes
- $(\text{mass})(\text{velocity})$
- force object has while moving
- related to inertia
- more mass, more momentum
- transferrable
- depends on mass of object

Momentum

- intrinsic property of any object

↳ base characteristic

- it is not a force

$$\vec{p} = m\vec{v}$$

↳ momentum; it's a vector

- units: $\text{kg} \cdot \text{m/s}$

- Relationship of force and momentum

$$\Sigma \vec{F} = m\vec{a} \quad \vec{a} = \frac{\Delta \vec{v}}{\Delta t}$$

$$\Sigma \vec{F} = m \frac{\Delta \vec{v}}{\Delta t} \quad \Delta \vec{p} = m \Delta \vec{v}$$

$$\Sigma \vec{F} = \frac{\Delta \vec{p}}{\Delta t}$$

$$\Delta \vec{p} = \Sigma \vec{F} \Delta t$$

↳ Impulse

- Impulse: $\vec{J} = \vec{F} \Delta t$

- Impulse-Momentum Theorem:

$$\vec{J} = \Delta \vec{p}$$

$$\vec{F} \Delta t = m \Delta \vec{v}$$

$$\vec{F} \Delta t = \Delta \vec{p} = m \Delta \vec{v}$$

What are implications of impulse-momentum theorem?

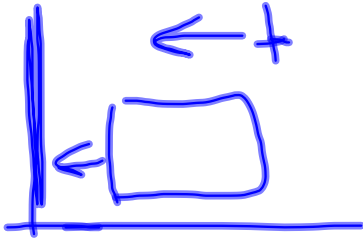
- greater the momentum, greater the force
- changes in impulse/momentum change distance obj. moves
- useful in forensics
- greater mass, greater momentum
- Sport science uses in calculations

= Airbags

- Driving with heavier loads
- Skimboarding
- Speeding
- "Fluffy people"

Momentum and Impulse Notes and Practice Problem 1st Block 10.5.11

A 1400 kg car moving westward with a velocity of 15 m/s collides with a utility pole and is brought to rest in 0.30 s. Find the force exerted on the car during the collision.



$$\bar{v}_i = +15 \text{ m/s} \quad \bar{F} \Delta t = m \Delta \bar{v}$$

$$\bar{v}_f = 0 \text{ m/s}$$

$$\Delta t = 0.3 \text{ s}$$

$$m = 1400 \text{ kg}$$

$$\bar{F} = \frac{m \Delta \bar{v}}{\Delta t} = \frac{m(\bar{v}_f - \bar{v}_i)}{\Delta t}$$

$$= \frac{(1400 \text{ kg})[0 \text{ m/s} - (+15 \text{ m/s})]}{0.30 \text{ s}}$$

$$\approx -70\,000 \text{ N}$$

$$(15 \text{ m/s}) \left(\frac{1 \text{ km}}{1000 \text{ m}} \right) \left(\frac{.62 \text{ mi}}{1 \text{ km}} \right) \left(\frac{3600 \text{ s}}{1 \text{ hr}} \right) = 33 \text{ mi/hr}$$